## **Gravity Group, UC Davis**

#### Faculty:

Steven Carlip

#### **Graduate Students:**

**Damien Martin** 

Rajesh Kommu

At least three others interested...

#### Visitors:

Alberto García, CINVESTAV, Mexico

#### **Recent personnel changes:**

Sachindeo Vaidya (postdoc) ⇒ tenure track faculty position, Indian Institute of Science, Bangalore
David Mattingly (postdoc) ⇒ computer start-up company
Jim Van Meter (student) ⇒ NRC postdoc, NASA Goddard
Eric Minassian (student) ⇒ postdoc, ITP, Bern
Yujun Chen (student) ⇒ postdoc, Perimeter Institute
Sayandeb Basu (student) ⇒ visiting faculty, University of the Pacific (postdoc and potential permanent position waiting for him in India)
Peter Salzman (student) ⇒ Wall Street

#### Some recent accomplishments:

Carlip served on Visiting Committee to NSF Physics Division

Carlip elected Fellow of the Institute of Physics

Carlip became a Divisional Associate Editor of PRL, and joined editorial board of Proc. R. Soc. London A

## **General strategy**

Look for "windows" into quantum gravity

- Black hole thermodynamics/statistical mechanics: collective properties of microscopic states
- Very early Universe cosmology: theory and possible observation
- Semiclassical Newtonian gravity and experiment
- Lattice approximations ("Lorentzian dynamical triangulation")
- Lower dimensional models and other simplified models

No premature commitment to any one particular approach; search for general implications of attempts to quantize gravity

# Black hole statistical mechanics and the problem of universality

### Black holes are thermodynamic objects

$$T = \frac{\hbar\kappa}{2\pi c}, \qquad S_{BH} = \frac{A}{4\hbar G}$$

Quantum ( $\hbar$ ) and gravitational (G)

Does this thermodynamic behavior have a microscopic "statistical mechanical" explanation?

#### Black hole entropy counts:

- Weakly coupled string and D-brane states
- Horizonless "fuzzball" geometries
- States in a dual conformal field theory "at infinity"
- Spin network states crossing the horizon
- Spin networks *inside* the horizon
- "Heavy" degrees of freedom in induced gravity
- Points in a causal set crossing the horizon
- No local states it's inherently global
- Nothing it comes from quantum field theory in a fixed background, and doesn't know about quantum gravity

Answer: apparently, all of the above

Is there an underlying structure that can explain why these approaches all agree?

#### Program:

- 1. Near the horizon, black holes have an approximate two-dimensional conformal symmetry
- 2. The presence of the horizon (weakly) breaks this symmetry
- 3. Symmetry-breaking leads to Goldstone modes
- Techniques from conformal field theory (Cardy formula) can be used to count these states – answer is universal, independent of details of underlying theory

#### **Current Status:**

- 1. Symmetry-breaking and state-counting successfully understood in two formalisms: "horizon as a boundary" and "horizon as a constraint"
- 2. Correct Bekenstein-Hawking entropy obtained for a very large class of black holes
  - any dimension
  - charged and rotating
  - with higher order curvature terms in action
- 3. Goldstone modes can be understood explicitly in 2+1 dimensions
- 4. "Horizon constraint" method can reproduce some detailed properties of string theoretical black holes

#### Next steps:

- 1. Extend results to light cone quantization
- 2. Work out explicit relationship to other approaches
  - path integral/instanton calculations
  - "membrane paradigm"
  - "isolated horizons" and loop quantum gravity
- 3. Couple Goldstone modes to matter: reproduce Hawking radiation

## Semiclassical gravity and experiment

"If quantum gravity is so hard, then maybe you shouldn't quantize gravity." Møller, Rosenberg: "semiclassical gravity"

 $G_{ab} = 8\pi G \left< T_{ab} \right>$ 

Newtonian version:

$$i\hbar \frac{\partial \Psi}{\partial t} = -\frac{\hbar^2}{2m} \nabla^2 \Psi(\tilde{\mathbf{x}}, t) + V(\tilde{\mathbf{x}}, t) \Psi(\tilde{\mathbf{x}}, t)$$
$$V(\tilde{\mathbf{x}}, t) = -Gm^2 \int \frac{|\Psi(\tilde{\mathbf{x}}', t)|^2}{|\tilde{\mathbf{x}} - \tilde{\mathbf{x}}'|} d^3 x'$$

Nonlinear Schrödinger equation: V depends on  $\Psi$ 



For small distances/large masses, self-interaction leads to wave function "collapse"

Comparison of Schrödinger-Newton and free particle wave functions. For large masses, the wave packet "collapses" under its self-gravitation.

#### **Preliminary results:**

- Present molecular interferometry experiments miss "collapse" by about two orders of magnitude
- Model should be testable in next generation experiments

Semiclassical gravity may be experimentally excluded!

#### **Further directions:**

Even if semiclassical gravity is wrong, Schrödinger-Newton equation should be a good Hartree-like approximation for many-body systems May be able to test TeV-scale gravity at distances  $\sim .1\mu$ m

## Some other projects

**Causal dynamical triangulations:** New approach to discretizing quantum gravity while preserving causal structure (Ambjørn, Loll)

- Try to understand observables
- Compare to other quantizations in 2+1 dimensions

Quantum fluctuations of spacetime topology: For negative cosmological constant, we have shown that a "sum over topologies" leads to a high probability for a homogeneous universe; can this be generalized to  $\Lambda > 0$ ?

- Black hole "information loss": In string theory AdS/CFT correspondence, local operators at boundary ⇔ bulk operators that are nonlocal in time; is this important for questions of unitary evolution?
- **Quantum gravity phenomenology:** Can we find new astrophysical tests of Planck-scale physics?
- **Tests of gravitational theories:** Work on "speed of gravity," equivalence principle tests, tests of brane world models