

# Constructing & Using a Quark/Gluon Tagger

How well can we do at the 7 and 8 TeV LHC?

Jason Gallicchio

UC Davis

26 June 2012

- 1 **Big Motivation:** Reject **Gluey** LHC Backgrounds
- 2 **The Tagger:** Observables and Performance
- 3 **Verification:** Finding Pure Samples of **Quark** and **Gluon** Jets
- 4 **ATLAS:** Results and Herwig++
- 5 **Theory:** Meaningful to What Order?

“Quark and Gluon Tagging at the LHC” **arXiv:1106.3076**

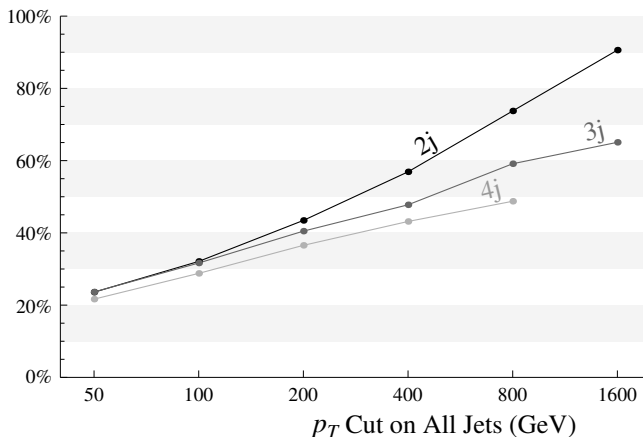
“Pure Samples of Quark and Gluon Jets at LHC” **arXiv:1104.1175**

(with Matt Schwartz at Harvard)

Interactive Plots: <http://jets.physics.harvard.edu/qvg/>

# There's a Lot of Glue to Get Stuck In (7 TeV LHC)

Chance EACH Jet is Quark



So chance that all 4 jets  $\gtrsim 50$  GeV are quark  $\approx (21\%)^4 \approx 1/500$

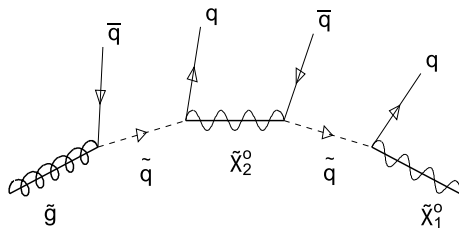
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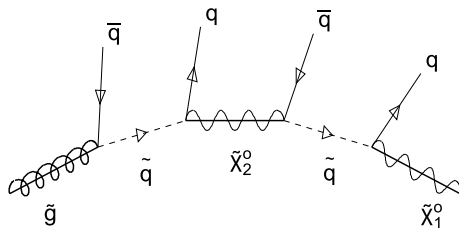
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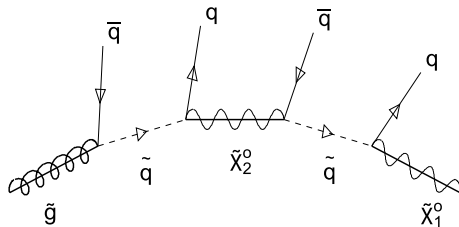


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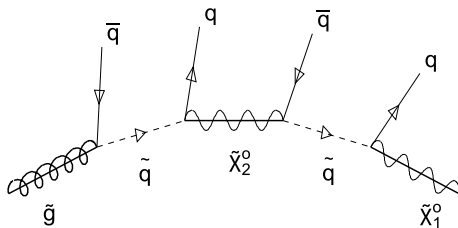


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- For  $X \rightarrow$  jets, measure **quark**/**gluon** branching ratios.



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Must combine **Quark/Gluon-Tagging** with **B-Tagging** and  **$\tau$ -Tagging**.



- Jet energy scale correction depends on flavor. Can't calibrate on a quark-heavy sample and blindly apply to a gluon-heavy one.

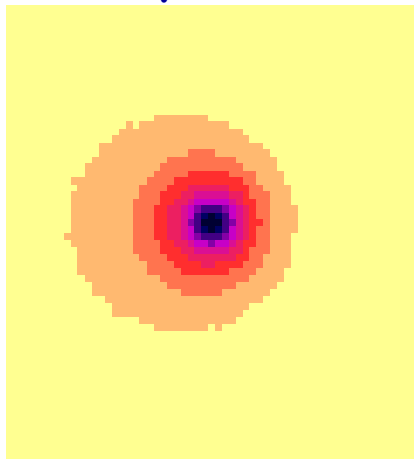


## The Quark/Gluon Tagger

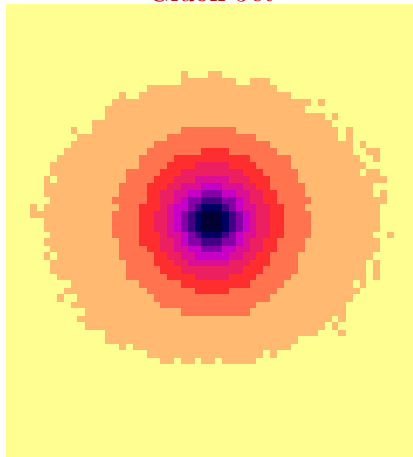
# Visual Differences

Same dijet event showered 3 million times. Accumulate  $p_T(\eta, \phi)$ :

Quark Jet

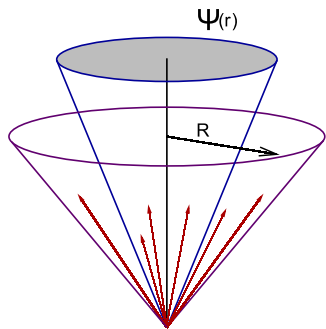


Gluon Jet

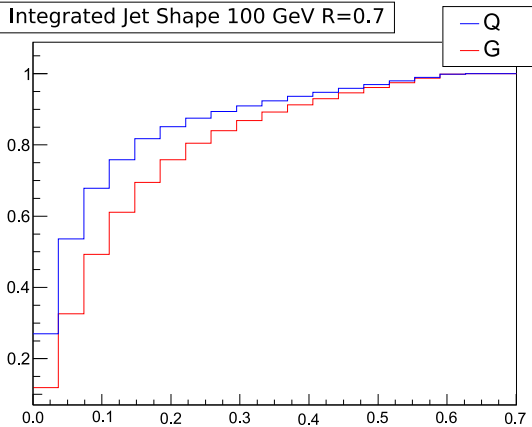


(Same total amount of  $p_T$ , which is hidden by logarithmic color bands.)

# Jet Shape

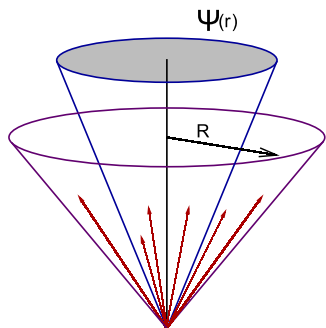


Integrated Jet Shape 100 GeV  $R=0.7$

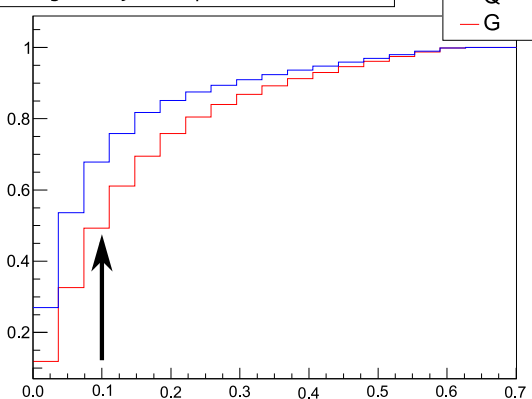


$r$

# Jet Shape



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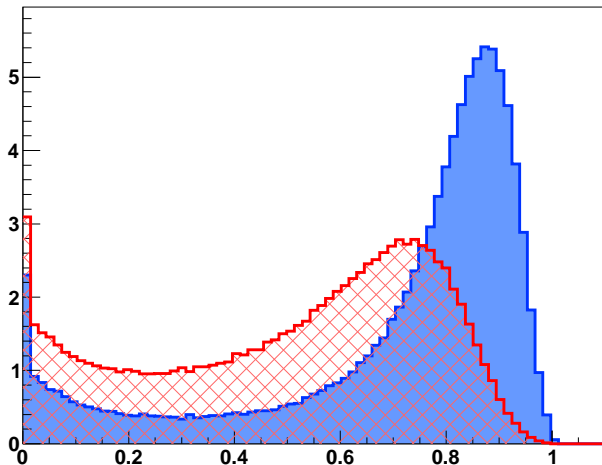


$r$

Jet Shape plots are averaged over all events of a particular type.

Integrated Jet Shape out to  $r = 0.1$

for 100 GeV



- Distribution is *not* narrow gaussian around average
- Correlations *between* different  $r$ 's might also be useful

**Gluon** has a greater effective color charge (squared) than **quark**:

**Gluon** adjoint's  $C_A$  vs **Quark** fundamental's  $C_F$

$$\frac{C_A}{C_F} = \frac{9}{4}$$



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*Average* Jet Mass in the small angle limit:

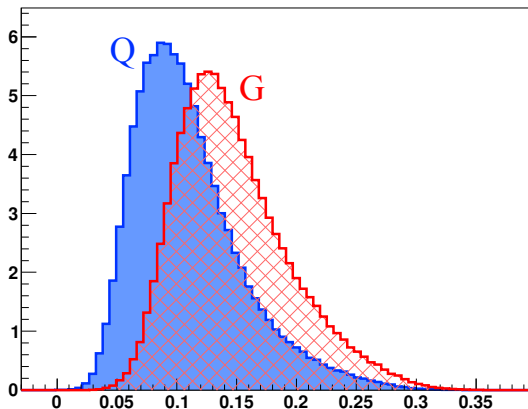
$$\langle M^2 \rangle = C \frac{\alpha_s}{\pi} p_T^2 R^2$$

*Distribution* of Jet Mass....

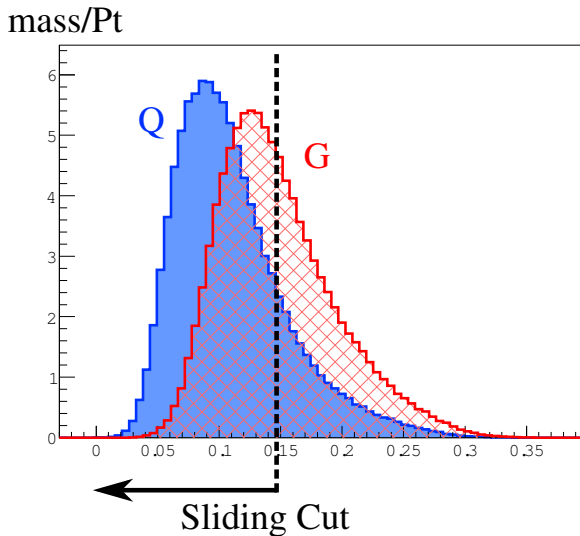
# Jet Mass as an Example Observable

- Normalizing by  $p_T$  (200 GeV in this sample) generalizes better.
- All distributions normalized to equal area.

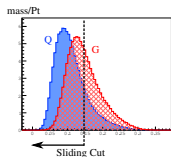
mass/Pt



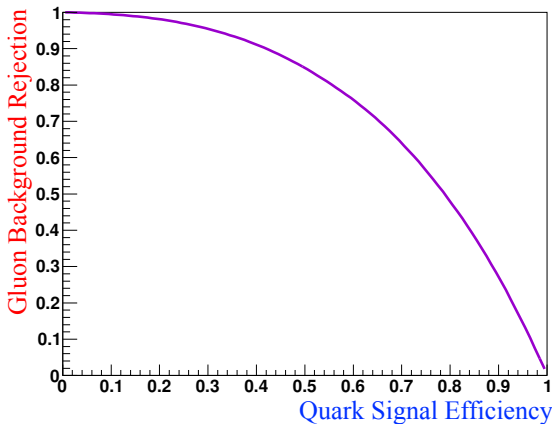
# Evaluating the Observable: Sliding Cut



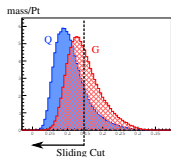
# ROC Curve



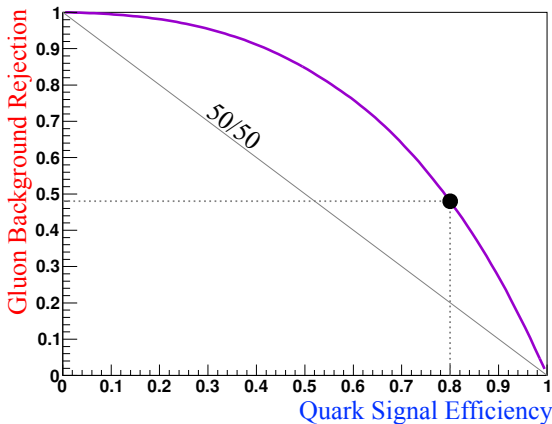
## ROC Curve for $mass/Pt$



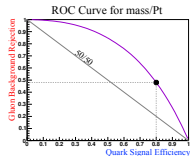
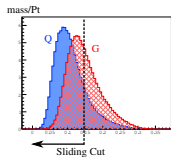
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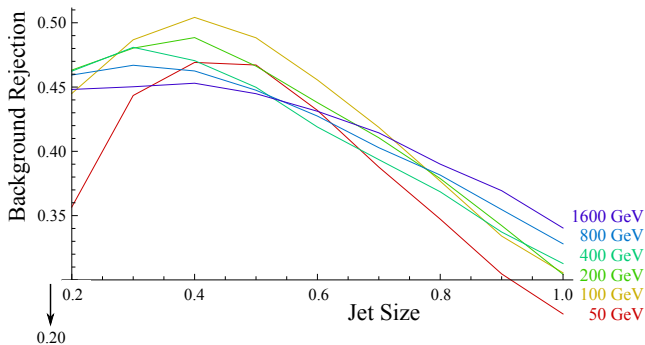
## ROC Curve for $mass/Pt$



# Other Jet Sizes and $p_{TS}$



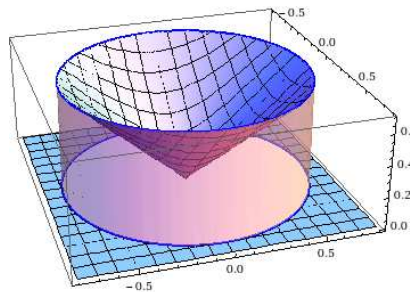
## mass/Pt @ 80% Signal Efficiency



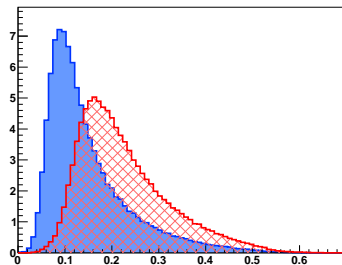
# Radial Moment – a measure of the “girth” of the jet

Weight  $p_T$  deposits by distance from jet center

$$\text{Radial Moment, or Girth : } g = \frac{1}{p_T^{\text{jet}}} \sum_{i \in \text{jet}} p_T^i |r_i|$$



Radial Moment for 100 GeV



‘Jet Broadening’ is a similar LEP observable involving  $E$  and  $\Delta\theta$ .

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Multiplicity of *any* particle in a gluon jet should be  $C_A/C_F = 9/4$  times greater (confirmed at LEP).

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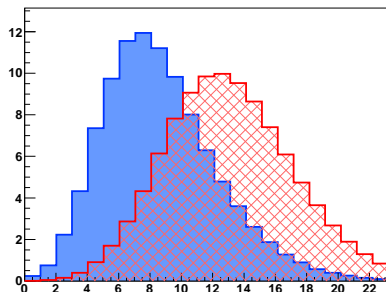
(Calculated to N<sup>3</sup>LO by Capella, et al. hep-ph/9910226)

For this talk, PYTHIA8 will serve as a repository of decades of theoretical and experimental knowledge. (v8.165, default tune.)

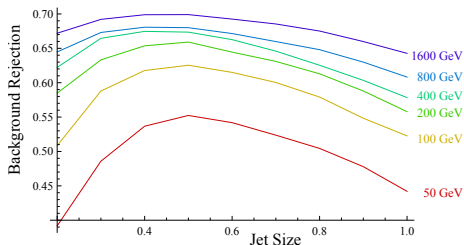
# Charged Particles Count

No detector simulation, but require charged particles  $p_T > 1$  GeV:

Charged Particle Count 100 GeV



Charged Track Count @ 80% Signal Efficiency



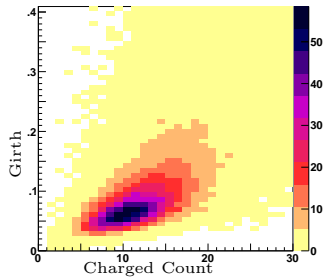
Higher  $p_T$  means more tracks and more ‘time’ to establish  $C_A/C_F$ .

The menu, including varying jet size

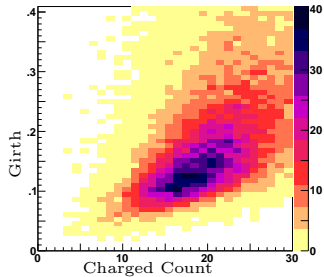
- Distinguishable particles/tracks/subjets
  - multiplicity,  $\langle p_T \rangle$ ,  $\sigma_{p_T}$ ,  $\langle k_T \rangle$ ,
  - charge-weighted  $p_T$  sum
- Moments
  - mass, girth, jet broadening
  - angularities
  - optimal kernel
  - N-subjettiness
  - 2D: pull, planar flow
- Subjet properties
  - Multiplicity for different algorithms and  $R_{\text{sub}}$
  - First subjet's  $p_T$ , 2nd's  $p_T$ , etc.
  - Ratios of subjet  $p_T$ 's.
  - $k_T$  splitting scale
- 2-Point Correlators (energy,  $p_T$ , possibly times  $r^\#$ , etc.)

# Combining Variables: Girth and Charged Count

Quark

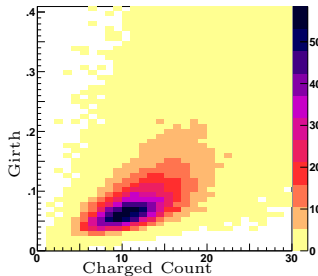


Gluon

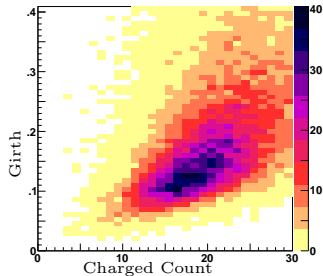


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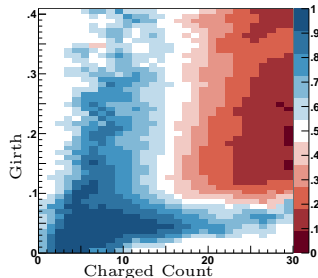
Quark



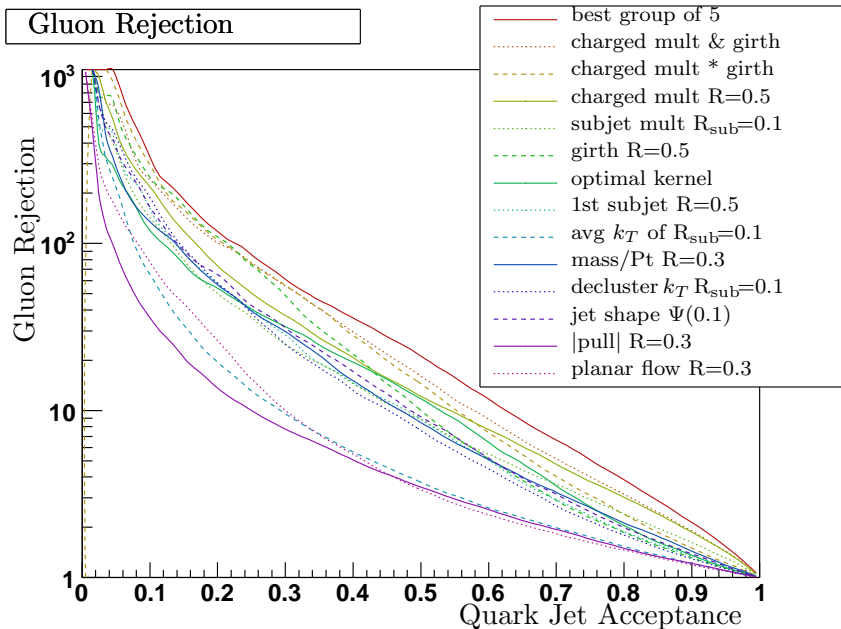
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Likelihood:  $q/(q + g)$



# Best Variables in Each Category for 200 GeV Jets



# Summary and Use of the Tagger

Can reject 80% of **gluons** while keeping 80% **quarks**.

Can reject 95% of **gluons** while keeping 50% **quarks**. (20x rejection)



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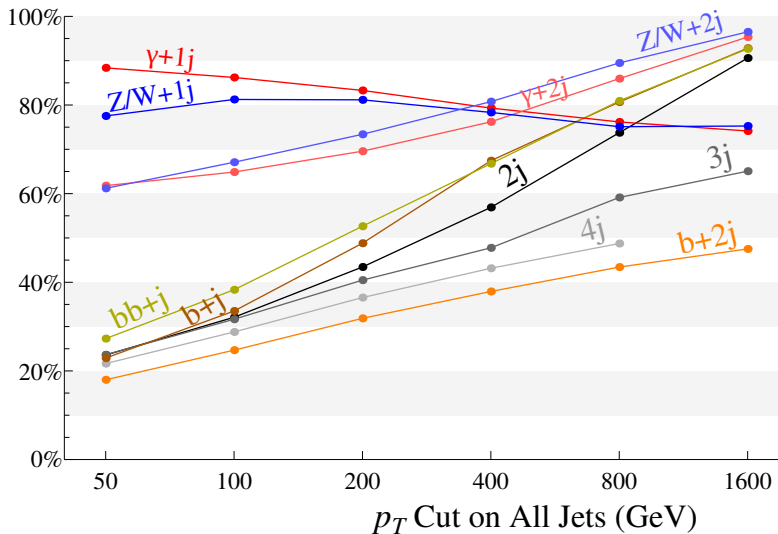
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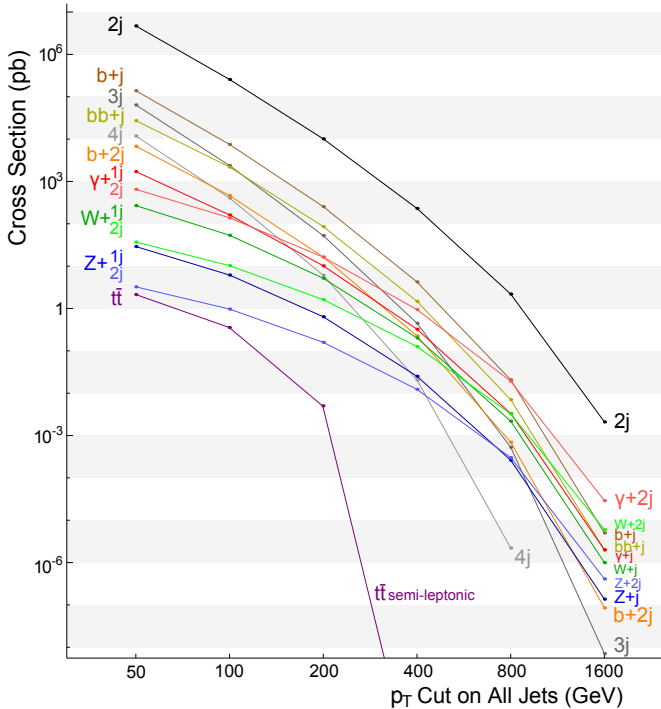
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For the 6 **quark** RPV example, significance improvement is 7.5!

## Finding Pure Samples of **Quark** and **Gluon** Jets

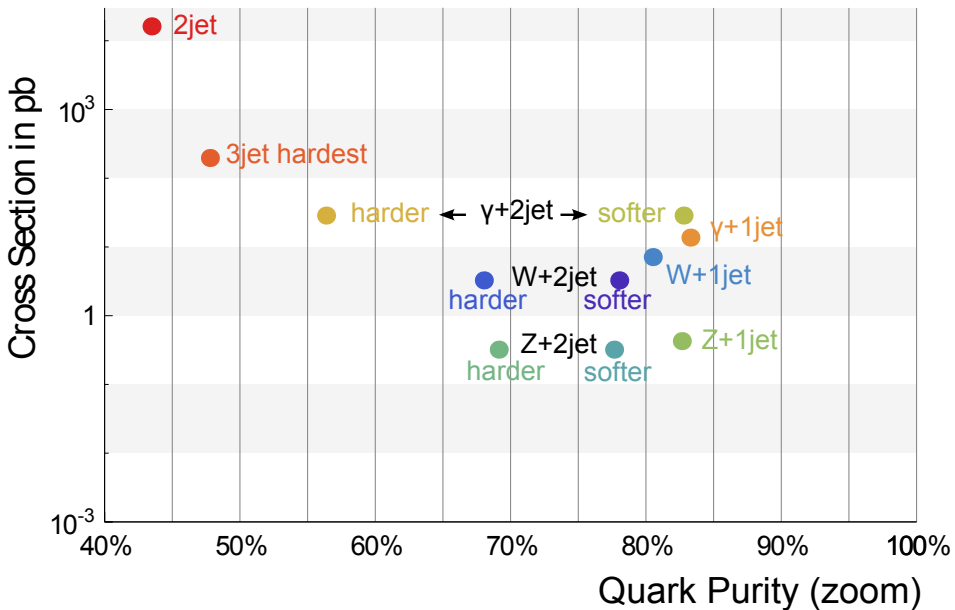
## Chance EACH Jet is Quark



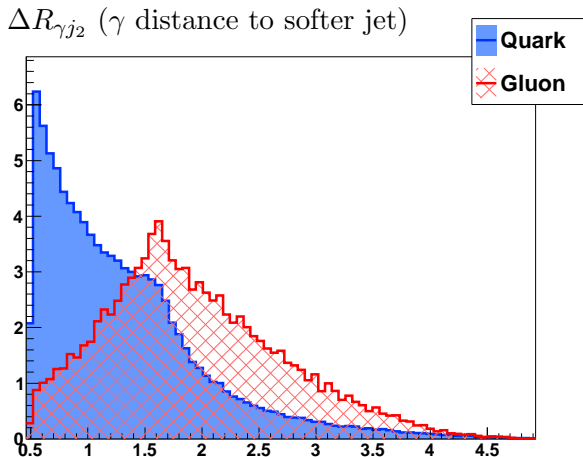




# 200 GeV Quark Purity

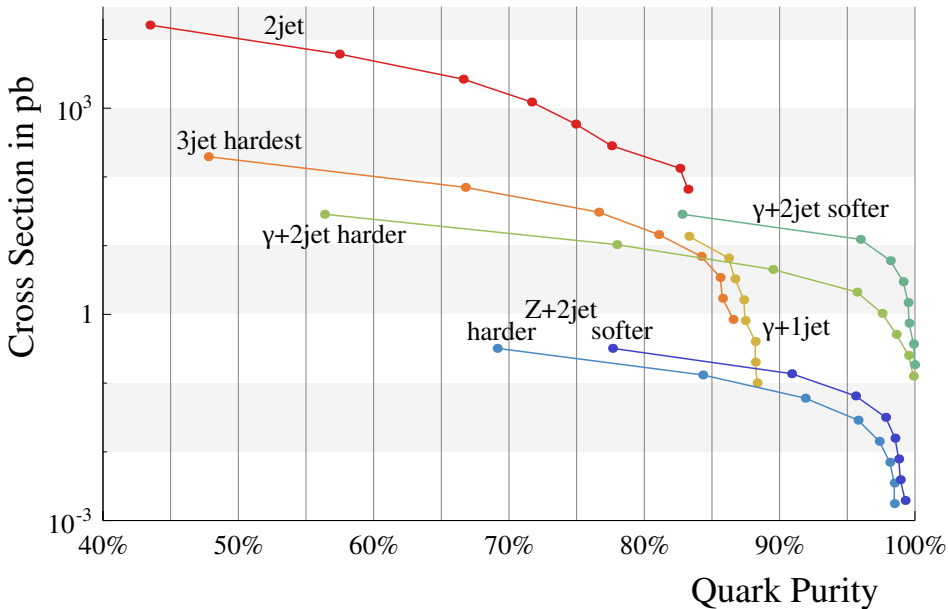


# Quark Purification in $\gamma+2\text{jet}$

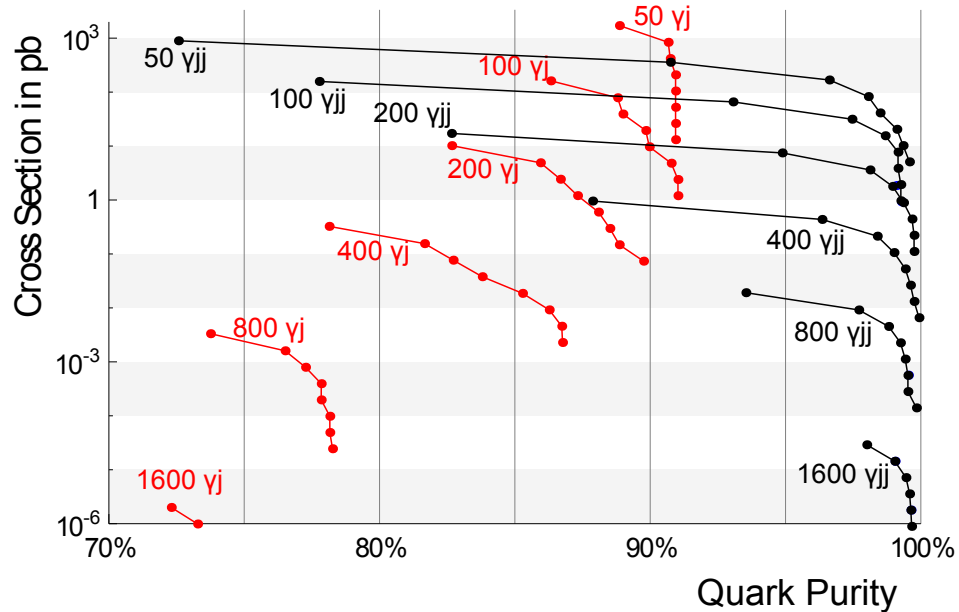


When the softer jet is **quark**, the photon is often radiated off of *it*, rather than the harder jet.

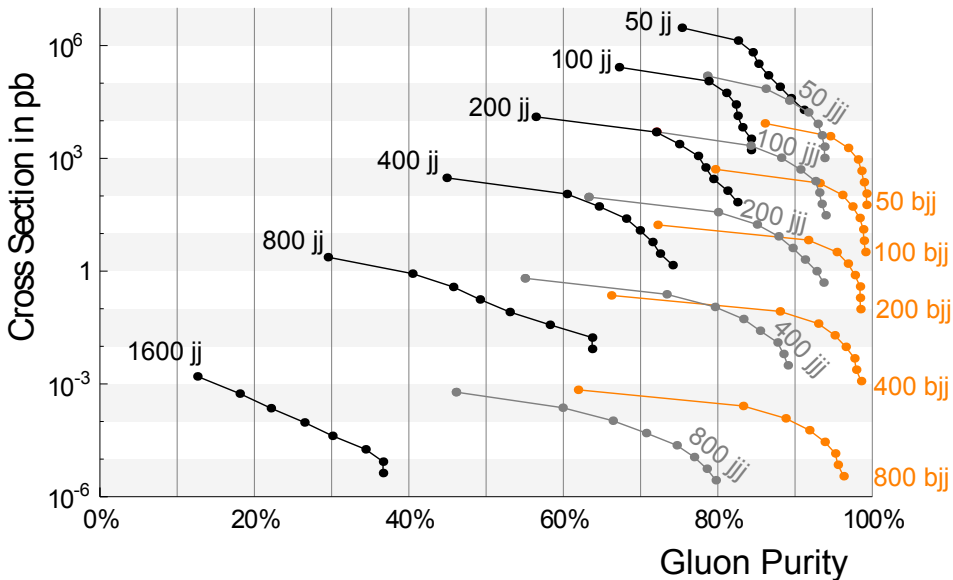
# 200 GeV Quark Purity



# Quark Purity for Different $p_T$



# Best Samples for Gluon Purity



# Summary of Finding Samples

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- **Gluon** samples at 90%-95% purity for 3jets

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- **Gluon** samples at 95%-99% purity for  $b+2\text{jets}$  with strong B-Tagging and B-Anti-Tagging

## ATLAS Results and Herwig++

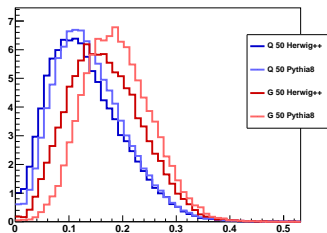


- Isolated anti- $k_T$  jets with  $R = 0.4$
- Only track-based variables to avoid pileup effects
- Charged track  $p_T > 1 \text{ GeV}$
- In MC, jets were matched to highest energy parton within cone

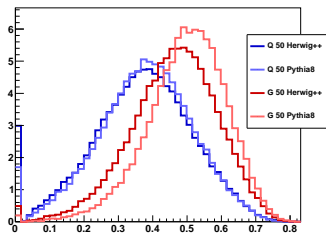
# Herwig++ vs Pythia8

Herwig++ 2.5.2 (darker) as compared to Pythia 8.165 (lighter)  
for 50 GeV quarks and gluons.

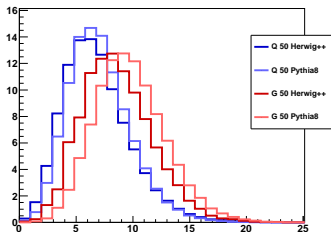
mass/ $p_T$



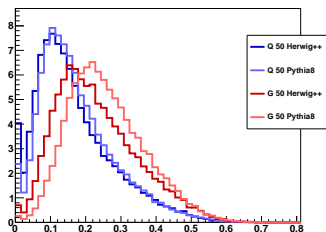
N-subjettiness  $\beta = 1/4$



Charged Track Count

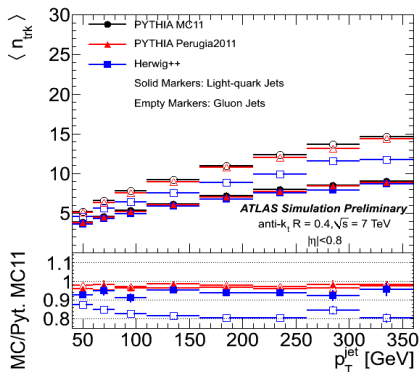


width (radial-moment)

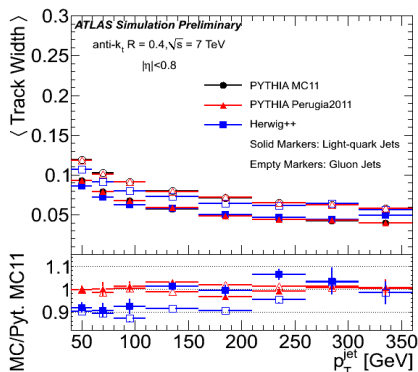


# ATLAS's Pythia8 vs Herwig++

Plot the *average* values, but for different  $p_T$  jets. (Note legend)



Charged Track Count  
differs for gluons



Width (radial-moment)  
differs at low  $p_T$

(from M.Laura Gonzalez Silva's talk at BOOST2012)

# ATLAS's Template Method

- Goal: to measure the quark/gluon shapes from data, dijet ( $DJ$ ) and photon+jet ( $\gamma J$ ) events.

- Ideally, solve for  $q/g$  (for each bin  $i$ ) from:

$$h_i(DJ) = P_Q(DJ)q_i + P_G(DJ)g_i \quad P_Q = \text{quark percentage, from MC}$$

$$h_i(\gamma J) = P_Q(\gamma J)q_i + P_G(\gamma J)g_i \quad h = \text{histogram value, from data}$$

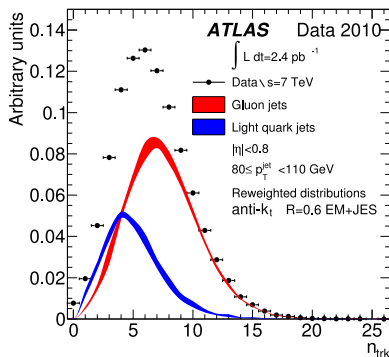
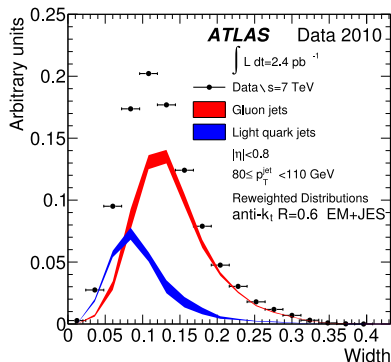
$q/g$  = pure  $q/g$  jet distributions  
(solving for these)

- But need to account for  $b$  and  $c$  fractions (taken from MC):

$$h_i(DJ) = P_Q(DJ)q_i + P_G(DJ)g_i + P_B(DJ)b_i + P_C(DJ)c_i$$

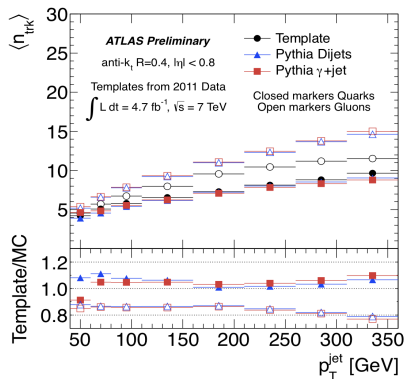
$$h_i(\gamma J) = P_Q(\gamma J)q_i + P_G(\gamma J)g_i + P_B(\gamma J)b_i + P_C(\gamma J)c_i$$

Di-jet data should match linear combination of pure **quark** + **gluon**.

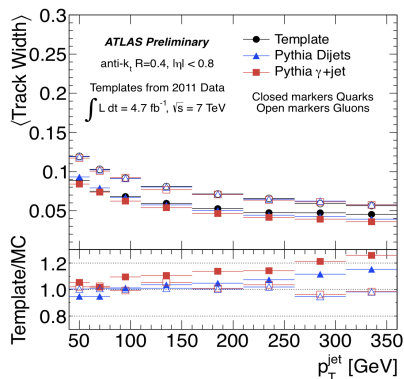


from “Jet energy measurement with the ATLAS...” arXiv:1112.6426  
 The width of the band represents the maximum variation among the Pythia and the Herwig++ samples.

# ATLAS Template vs Pythia8

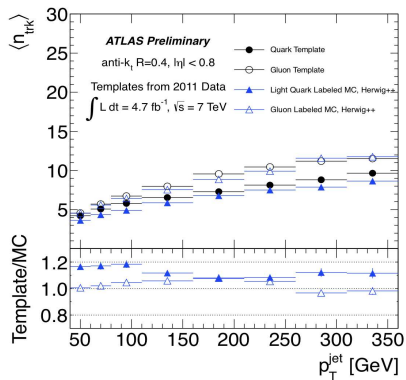


Charged Track Count  
differs for gluons

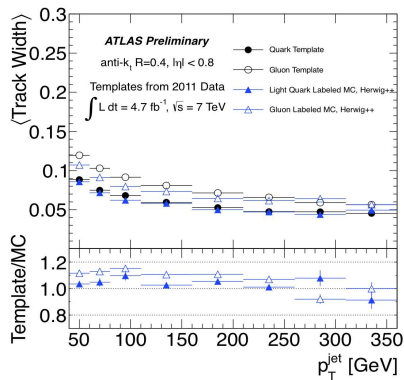


Width (radial-moment)  
agrees reasonably with Pythia8

# ATLAS Template vs Herwig++



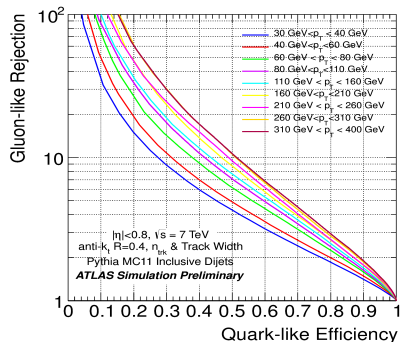
Charged Track Count  
 better in Herwig++  
 now quarks are off



Width (radial-moment)  
 worse in Herwig++

# ATLAS ROC Curve for Data

Preliminary result shows data not looking as separable.



$|\eta| < 0.8, \text{ Jet } p_T \sim 150 \text{ GeV:}$

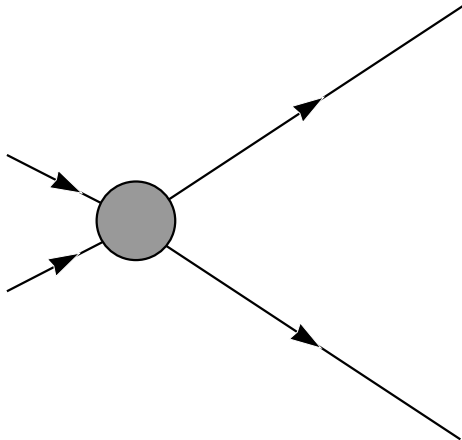
Sample	Efficiency	Rejection
Pythia MC11	50%	8x
Data 2011	50%	4x

- Purified samples validate these findings.
- Need different variables?
- Need more isolated jets?

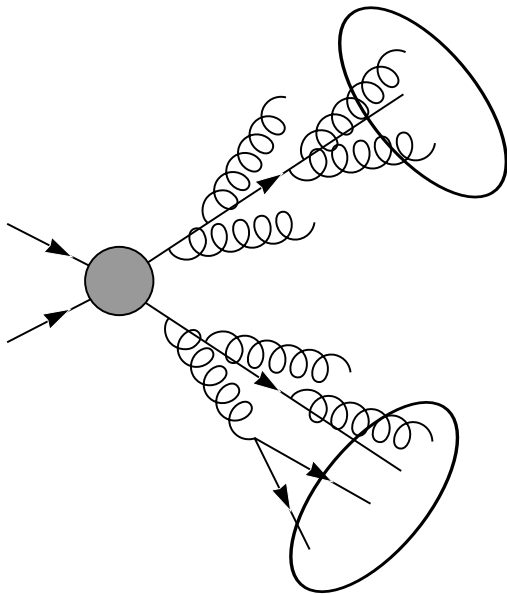


## QCD Jet Flavor Theory

# Example of 2 Quark Jets



# Standard Parton Shower



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This is a standard starting point for most searches, and is affected by jet algorithm and event topology.

This is a search-focused rather than precision-QCD-focused view.

*Claim:* Nothing can go wrong that wouldn't also destroy the event's meaning/usefulness/interpretation, and those things are unlikely.



## Gluon emission:

- If it ends up in same jet (soft), this is exactly what determines the properties of the jet.
- If it creates its own jet (hard), it should have been modeled as a hard emission: ‘matching’

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## Gluon splitting to quarks (light or b):

- If they end up in the same jet (soft), it’s still a gluon jet.
- If they create their own jets (hard), these are quark (or b) jets.

# Is Flavor Meaningful Beyond Leading Order?

Flavor is well-defined to to *all* orders in QCD perturbation theory.  
Ambiguity only when further radiation (hard QCD and soft showering)  
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They involve  $\Lambda_{QCD}/E$ , jet size  $R$ , jet's mass-to-energy ratio  $m/E$ , etc.

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So flavor is *no more dangerous* theoretically than *any time* jets are used as a proxy for hard partons in kinematic reconstruction.

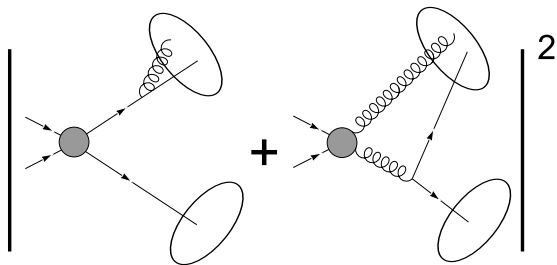
(All of this is sperate from measurement resolution.)

# Problem Case

Loops? Same final state. No interference between flavors. Only rates.

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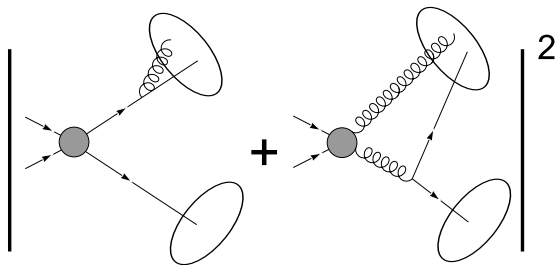
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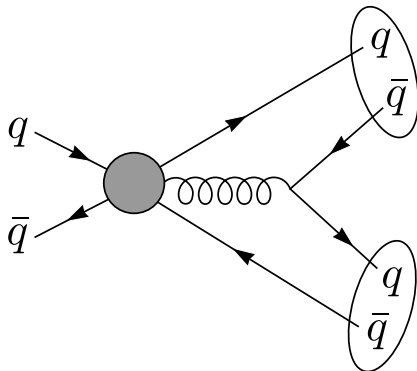
For identical final state (same momenta), first amplitude is much larger.

- $g \rightarrow gg$  and  $q \rightarrow qg$  (soft  $g$ ): both collinear and soft divergences
- $g \rightarrow q\bar{q}$  and  $q \rightarrow qg$  (soft  $q$ ): only collinear divergence



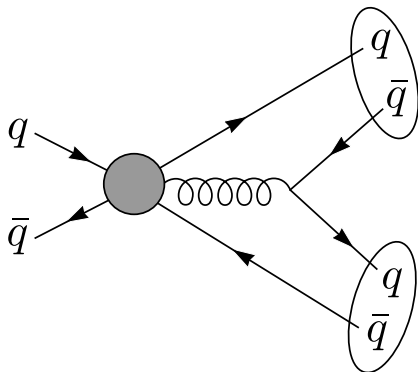
# Another Problem Case

Hard gluon fails to make its own jet



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Hard gluon fails to make its own jet



If the original 2 hard quarks were instead gluons, it wouldn't make sense to call these 'quark jets' either.

Finding a B meson inside a jet makes it a B jet.

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“B-Tagging Efficiency” is defined relative to number of *tagable* jets: ones with a B-hadron with:  $\Delta R < 0.4$ ,  $p_T > 1$  GeV, and  $d_T > 10 \mu\text{m}$ .

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Ambiguity with  $g \rightarrow b\bar{b}$ , whether B hadrons end up in the same jet or not. Same fundamental QCD issues we have, but the massive  $b$  quark makes problem cases less likely.

# What flavor is my Pythia jet!?

“What’s the best way to find the *true* flavor of a random Pythia jet?”

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Whatever is most useful to separate real signals from real backgrounds.

To the extent that things like “fraction of  $\gamma + jet$  events we want to call quark-like” is meaningful, measure the width/girth and charged track count distributions for many samples. (ATLAS’s templates)

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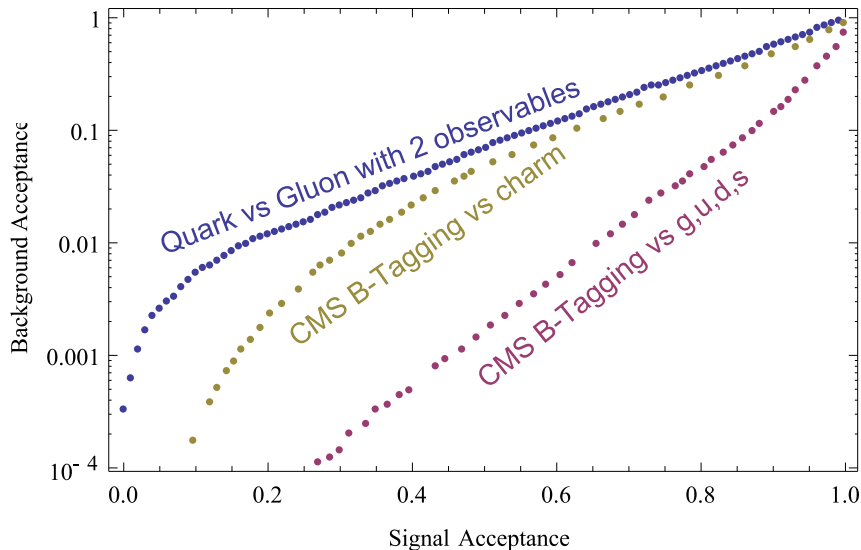
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Thanks!

## Using Flavor Taggers

Cutting gives some signal acceptance and some background acceptance.

# Comparison to B-Tagging





A cut on tagger's score gives

- signal efficiency  $\epsilon_s$  (you pick)
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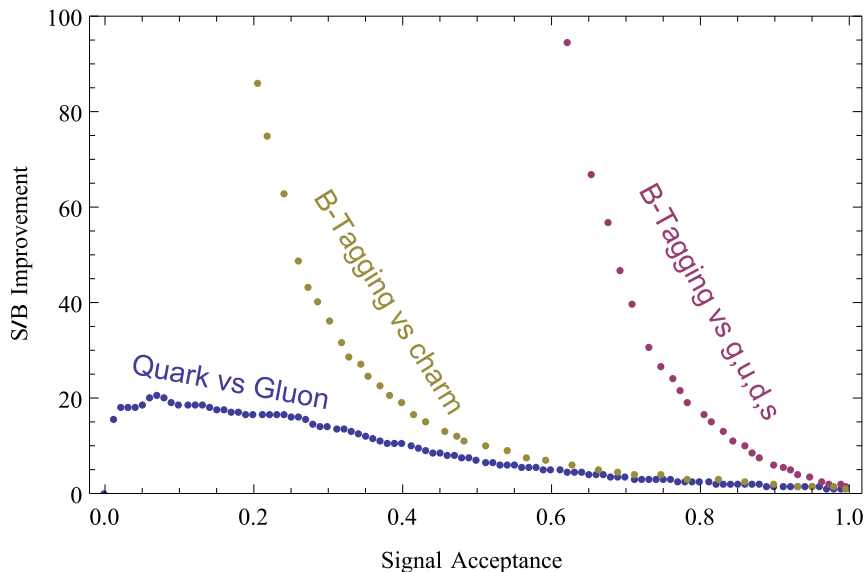
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If you start with  $S$  signal events and  $B$  background events,

$$\frac{S}{B} \quad \rightarrow \quad \frac{S\epsilon_s}{B\epsilon_b} \quad = \quad \frac{S}{B} \frac{\epsilon_s}{\epsilon_b}$$

Call  $\frac{\epsilon_s}{\epsilon_b}$  the “S/B Improvement”

# Comparison to B-Tagging

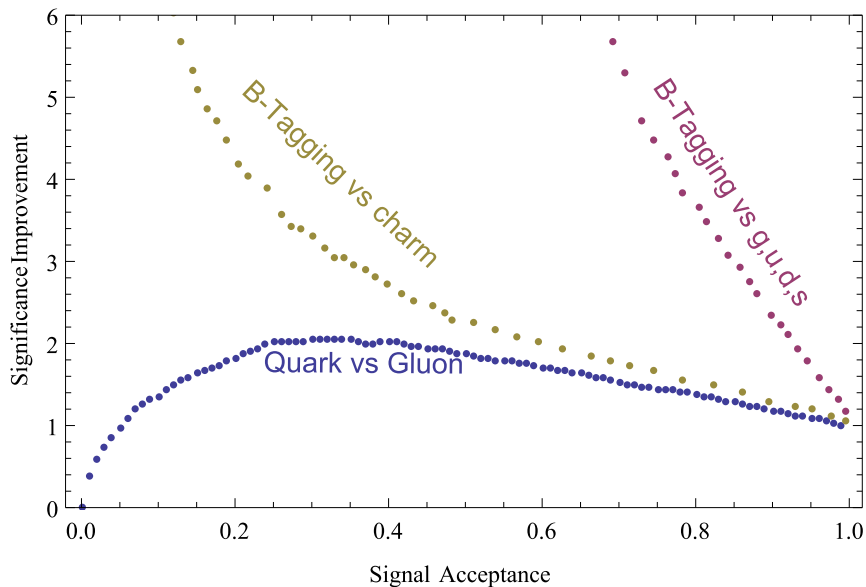


Improvement in statistical significance scales differently

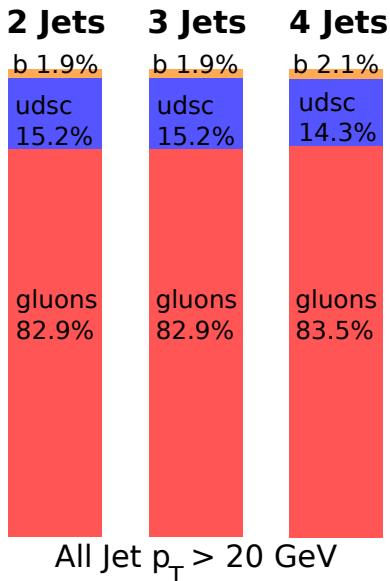
$$\sigma = \frac{S}{\sqrt{B}} \quad \rightarrow \quad \frac{S\epsilon_s}{\sqrt{B\epsilon_b}} = \sigma \frac{\epsilon_s}{\sqrt{\epsilon_b}}$$

Call  $\frac{\epsilon_s}{\sqrt{\epsilon_b}}$  the “Significance Improvement”

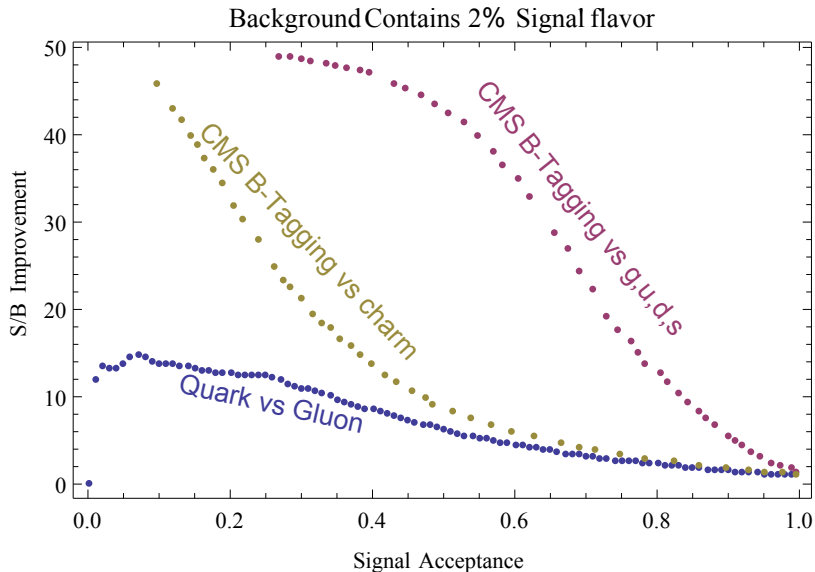
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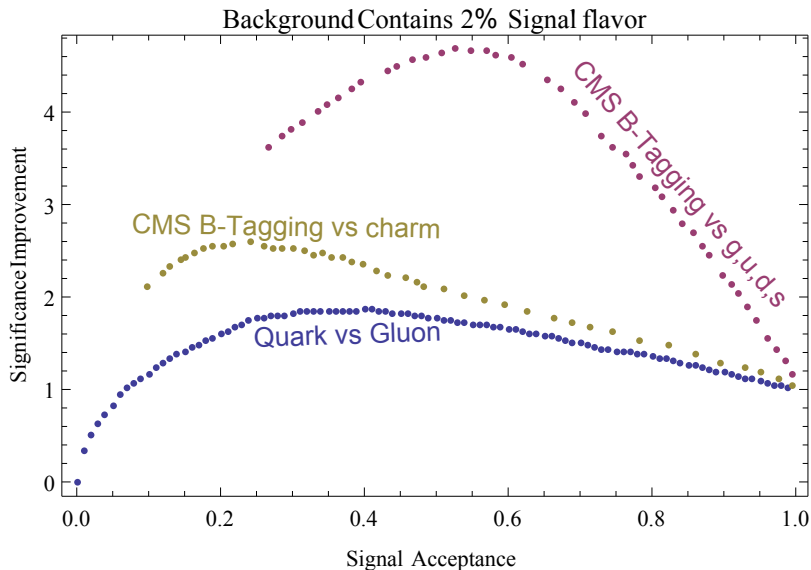
# But Backgrounds Contain b's and light quarks!



# Background Contains 2% 'Signal' flavor (B-case)

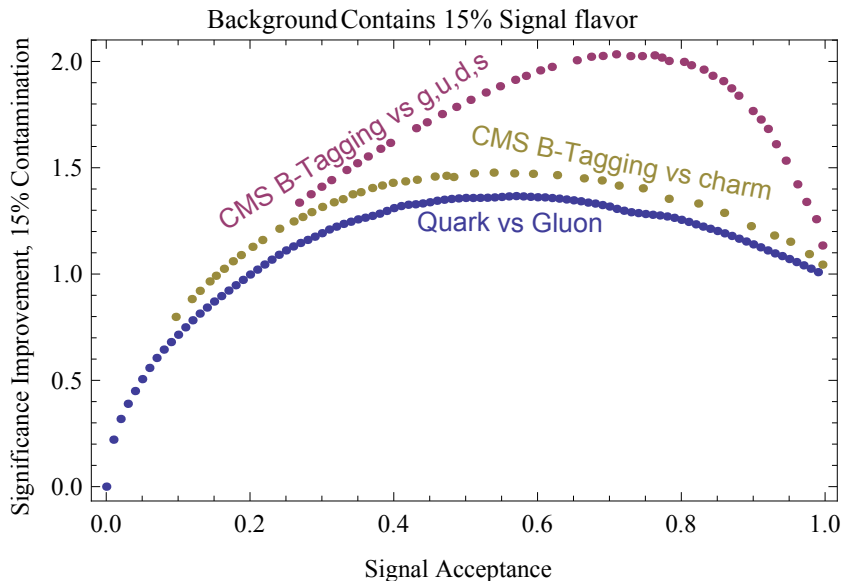


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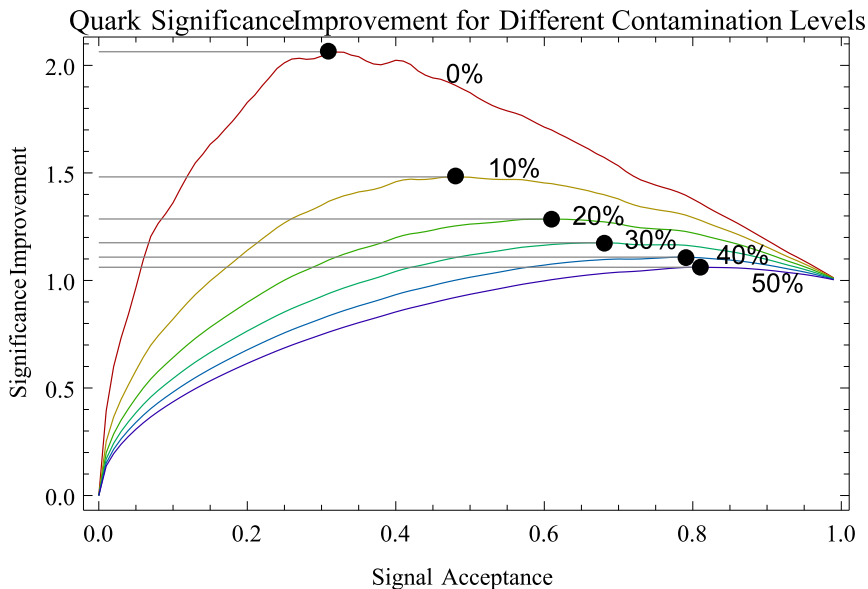




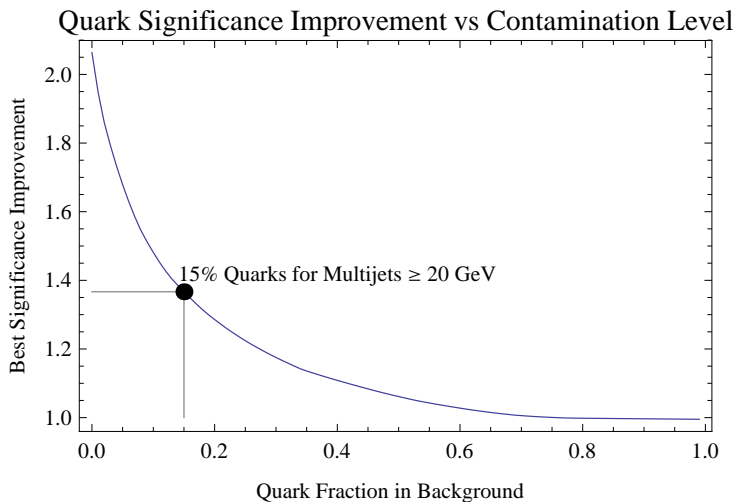
# Background Contains 15% 'Signal' flavor (Q-case)



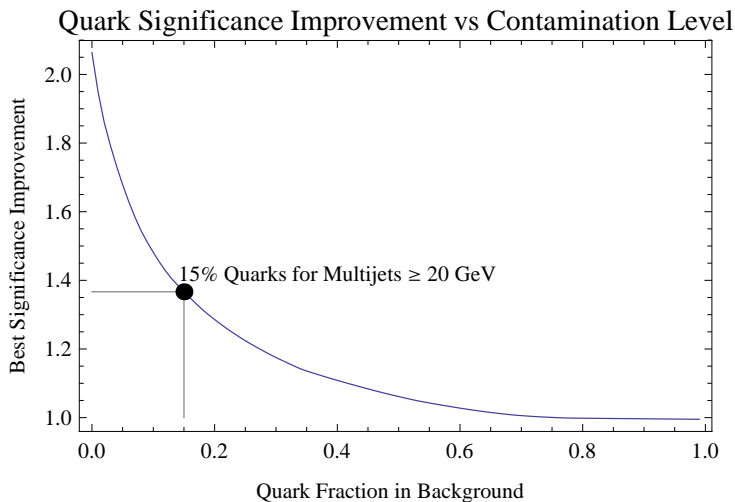
# Operating Points that Maximize Quark Significance



# Operating Points that Maximize Quark Significance



# Operating Points that Maximize Quark Significance



For signal of 4 quarks  $\geq 20$  GeV, significance improvement is  $1.37^4 = 3.5$

## Chance EACH Jet is Quark

